

Oligopolistic Competition, Technology Innovation, and Multiproduct Firms

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Speaker

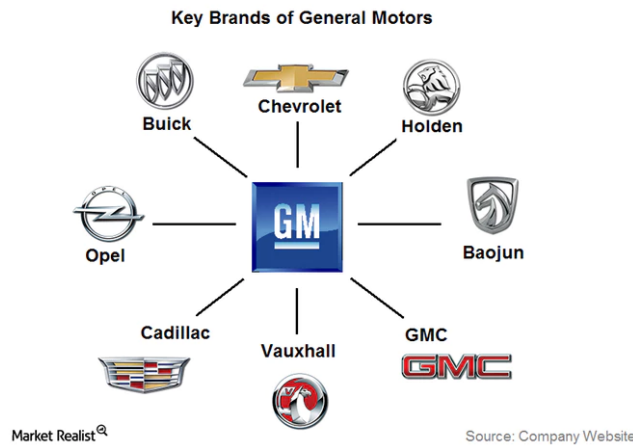
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Backgrounds

- Market structure in many industries is:
 - Oligopolistic competition
 - With multi-product firms
- Oligopolistic automobile market
 - GM, Ford, and Crysler
- Ready-to-eat breakfast cereal
 - Kellogg, General Mills, Gneral Foods, and Quaker Oats



Limited theoretical backgrounds

- Two major contributions:
 - Endogenous product proliferation decision
 - Endogenous entry decision
- Existing literatures have some limitations:
 - Brander and Eaton (1984), exogenous product line size and the number of firms
 - Raubitscheck (1987), independent brand manager
 - Champsaur and Rochet (1989), analysis on a continuum
 - Anderson and de Palma (1992), shown only the existence of a Nash equilibrium
 - Baye et al. (1996), quantity competition

Major assumptions and concerns

- The compound *constant elasticity of substitution* (CES) model
 - Under the CES model, all existing products compete with one another and are equally good substitutes for one another.
 - *Compound* allows the firm-level heterogeneity.
- Endogenous product proliferation and firm entry decisions
- Firm products are identical, while the elasticity of inter-firm substitution may differ.

- In a symmetric equilibrium, it analyzes:
 - Product price
 - Number of products
 - Impact of the elasticity of substitution (across a firm's own products and across different firms)
 - Product quality decision

Model (demand side)

- Consumer utility maximization

$$\max_{x_{ij}} V(x_{11}, \dots, x_N) = \left(\sum_{i=1}^m \left[\left(\sum_{j=1}^{n_i} x_{ij}^\rho \right)^{\frac{1}{\rho}} \right]^\alpha \right)^{\frac{1}{\alpha}}$$

$$\text{s.t. } \sum_{i=1}^m \sum_{j=1}^{n_i} p_{ij} x_{ij} \leq Y,$$

m , number of firms; n_i , number of firm i 's products; x_{ij} and p_{ij} , consumption and price of firm i 's product j ; α and ρ , are the substitution parameters; Y , consumer budget.

– where price index is $q_i = \left[\sum_{j=1}^{n_i} p_{ij}^{1-\delta} \right]^{\frac{1}{1-\delta}}$ and $q = \left[\sum_{i=1}^m q_i^{1-\theta} \right]^{\frac{1}{1-\theta}}$.

- The demand function is:

$$x_{ij} = \frac{1}{p_{ij}^\delta q_i^{1-\delta}} \frac{q_i}{q_i^\theta q^{1-\theta}} Y \quad (\text{when } n_i = 1 \text{ and } m = 1, x_{ij} = \frac{Y}{p_{ij}})$$

Model (supply side and game)

- Payoff function

$$\pi_i = \sum_{k=1}^{n_i} (x_{ik}(p_{ik} - c) - f)$$

- Game
 - Players: competing m firms
 - Strategies: price \mathbf{p}_i and proliferation level n_i
 - Payoffs: net profit π_i
 - Two stage game, proliferation level-first and price second

Major findings (2nd stage, price decision)

- **Proposition 1.** *In a symmetric equilibrium, an increase in the level of a firm's proliferation raises the firm's own prices and reduces other firms' prices.*

– Or:

$$\frac{\partial p_i}{\partial n_i} > 0 \text{ and } \frac{\partial p_j}{\partial n_i} < 0$$

- Interpretation
 - The increase of the **proliferation level** raises the **market power**.
 - The increase of the **market power** elevates the **product price**.
 - The increase of the **product price** increases the **markup**.
 - The increase of the **markup** decreases the **competitor's product price**.

Major findings (1st stage, proliferation decision)

- **Proposition 2.** *The number of products produced by each firm increases as the marginal proliferation cost f decreases. (...)*

– In a sense that:

$$n = \frac{1}{f} \left[\frac{Y}{(m-1)\theta + 1} - k \right]$$

- Interpretation
 - Intuitive in a sense that the higher cost burdens firms.
- However, unknown influence of the proliferation cost increase on the product price.
 - As assumed symmetric firms, $n_i = n$ and $p_i = p$.

Other findings

- **Proposition 3.** (elasticity of substitution)
 - *The more the substitution is elastic across a firm's own products, the smaller n_i and the larger m .*
 - *The more the substitution is elastic across the different firms, the larger n_i and the smaller m .*
- Proposition 4. (quality improvement, single product with multiple characteristics)
 - $x(i)$ denotes the product of firm i
 - $x(ij)$ denotes the j -th characteristic
 - The simplification $x(ij) = x$ provides $n(i)$ to denote the quality level

Conclusions

- Studied a competition of the symmetric multiproduct firms
 - Used the compound CES model
 - Symmetric implies each product in the market and the firms' strategies are identical
- Addressed that
 - An increase in the level of a firm's proliferation raises the firm's own prices and reduces other firms' prices.
 - The number of products produced by each firm increases as the marginal proliferation cost f decreases.